



Microgrid energy management with renewables and storage PGMO Days 2016

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1 Introduction

2 The model

3 Results

4 Conclusions and future work

Background

- ▶ **New technologies allow us to use weather-dependent energy generation**
- ▶ Until 2035 it is estimated that 31% of generation will be from renewables (50% hydro)
- ▶ In addition, we are aiming at efficiency and cost-effectiveness of fossil-fueled generation (CHP plants, heat and power)
- ▶ The current efficiency level is around 33%, can reach 40%.

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- ▶ Intermittent and weather-dependent generation pose a challenge to the system's reliability
- ▶ The importance of energy storage systems such as batteries and water tanks
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- ▶ Microgrid architecture.
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Some unique issues

- ▶ The microgrid operation combines unit commitment with economic dispatch (hard problems!)
- ▶ Centralization versus Decentralization (the objectives are not obvious).
 - ▶ **Island mode** ⇒ minimize its own generation cost.
 - ▶ **Grid connected mode** ⇒ Can have contradicting goals with the main grid.

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- ▶ The microgrid represents energy consumption in a small town
- ▶ We assume there is a central grid (the network), external to the microgrid, from which energy can be bought and sold
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Elements of our model

- ▶ A battery storage
- ▶ Water pump storage
- ▶ A photovoltaic panel (PV)
- ▶ A consumer
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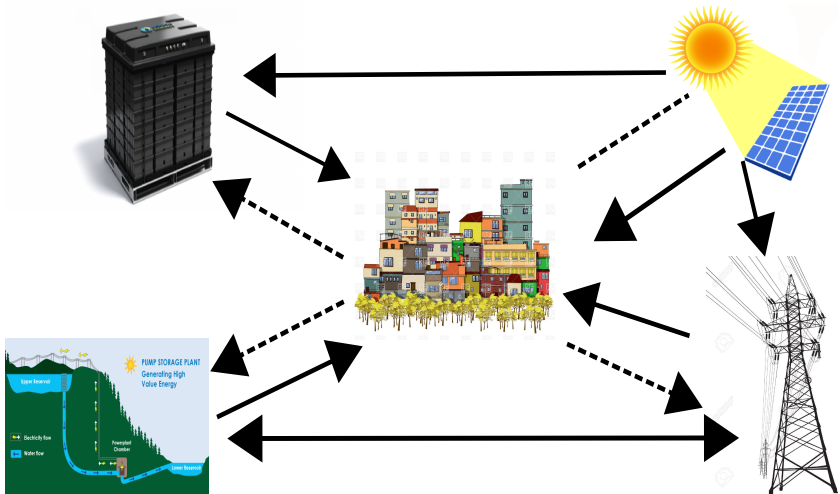
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Elements of the model



Storage

- ▶ The water pump storage is a massive storage element, but has slow response time
- ▶ Batteries are for storing smaller quantities of energy, with instant response time
- ▶ In order to model those differences in a meaningful way, we need finer time frames (more later)

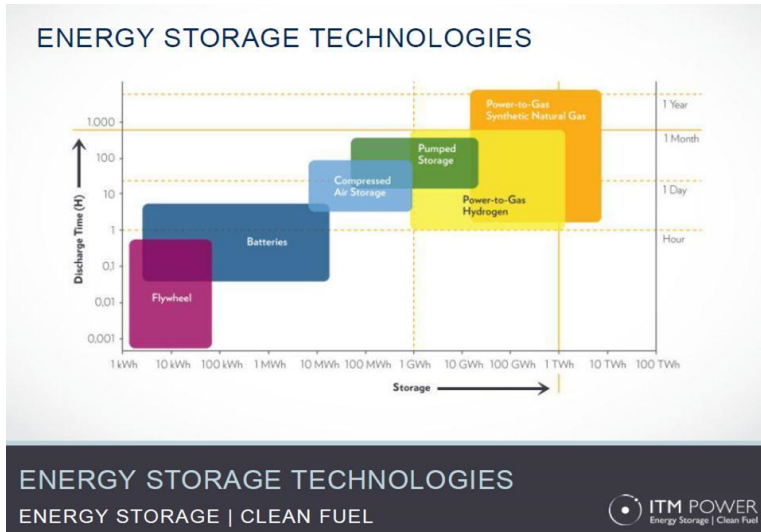
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Storage technologies



Batteries

$$B_{t+1} = B_t + \alpha_B \left(\overbrace{F_{PV-Battery,t} + F_{Network-Battery,t}}^{\text{into the battery}} - \overbrace{F_{Battery-Demand,t} + F_{Battery-Network,t}}^{\text{from the battery}} \right),$$

with $\alpha_B \leq 1$.

$$F_{PV-Battery,t} + F_{Network-Battery,t} \leq \text{max charge power} \times \Delta T$$

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Water pump storage

$$S_{t+1} = S_t + \alpha_S \beta \overbrace{(F_{PV-S,t} + F_{Network-S,t})}^{\text{into the storage}} - \beta \overbrace{(F_{S-Demand,t} + F_{S-Network,t})}^{\text{from the storage}}$$

with $\alpha_S \leq 1$, and where β converts electrical energy into water volume.

$$F_{PV-S,t} + F_{Network-S,t} \leq \text{max pumping power} \times \Delta T$$

$$F_{S-Demand,t} + F_{S-Network,t} \leq \text{max turbine power} \times \Delta T$$

In addition,

$$\left| \frac{\partial^2 S_t}{\partial t^2} \right| \leq \Gamma \Leftrightarrow$$

$$\frac{-S_{t-\Delta t} + 2S_t - S_{t+\Delta t}}{(\Delta t)^2} \leq \Gamma_{\text{pumping}}$$

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The PV

- ▶ We assume energy generated by the PV is random
- ▶ We use 4 years of real data from the north of Chile
- ▶ The scenarios and their probabilities are constructed via *k*-means
- ▶ If the amount generated is higher than expected demand, the microgrid can sell the surplus to the network
- ▶ If it is smaller energy must come from other sources, e.g., bought from the network or taken from batteries

$$ProdPV = F_{PV-S} + F_{PV-Bat} + F_{PV-Demand} + F_{PV-Network} - Surplus + Shortage$$

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Discretization

- ▶ We face the usual granularity trade-off:
 - ▶ Too fine-grained and we cannot solve the problem, too coarse-grained and the model becomes meaningless.
 - ▶ We propose a compromise solution: decision are taken every 15 minutes, and there are three radiation scenarios every day, based on real data.

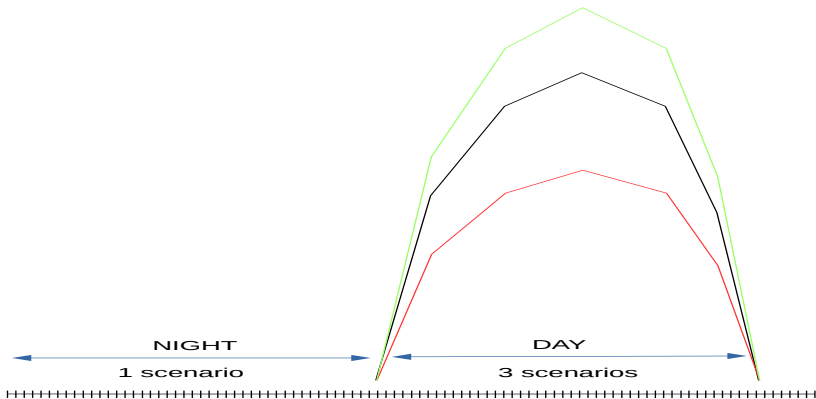
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Uncertainty representation



Time series analysis

- ▶ We wanted to fit the data into a time series model
- ▶ Several options: AR, MA, ARMA, ARIMA, ARMAX, ...
- ▶ Dickey-Fuller test indicated stationarity, so we decided for an ARIMA
- ▶ Parameter choice was done through RMSE, MAD and MAPE
- ▶ The winner was ARIMA(2, 0, 0)_x(1, 0, 1)_x24:

$$Y_t = 1.2131Y_{t-1} - 0.3389Y_{t-2} + 0.9725Y_{t-24} - 0.4202\xi_{t-24} + \xi_t + 497.7$$

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- ▶ It is not deterministic, but...
- ▶ It exhibits less variability than the PV, and it is often defined by contracts (e.g, mining companies, shopping centers, etc)
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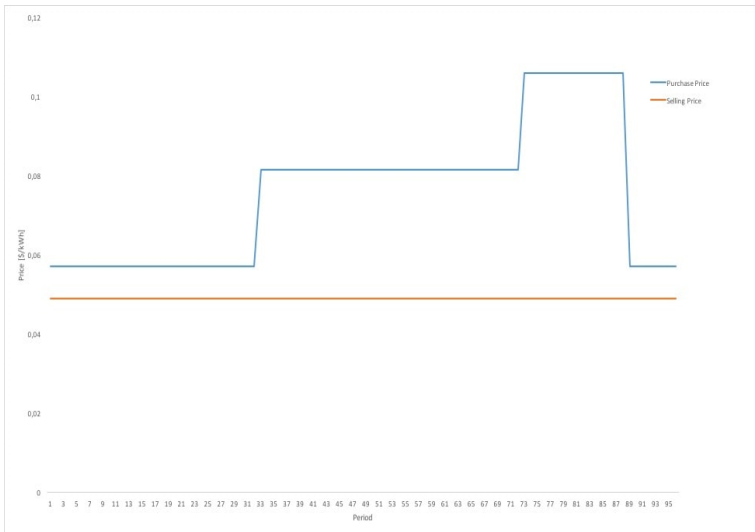
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Buying and selling prices



Objective function

$$\min_F \mathbb{E} \left[\sum_{t=0}^T \left\{ (F_{Network-Demand,t} + F_{Network-Battery,t} + F_{Network-S,t}) \times \text{buying price}_t + \right. \right.$$

shortage_t

$$\left. - (F_{PV-Network,t} + \alpha_B F_{Battery-Network,t} + \alpha_S F_{S-Network,t}) \times \text{selling price}_t - \right.$$

surplus_t }]

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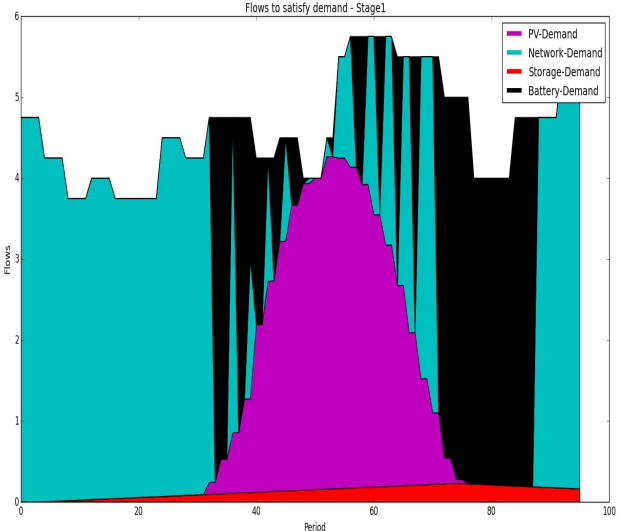
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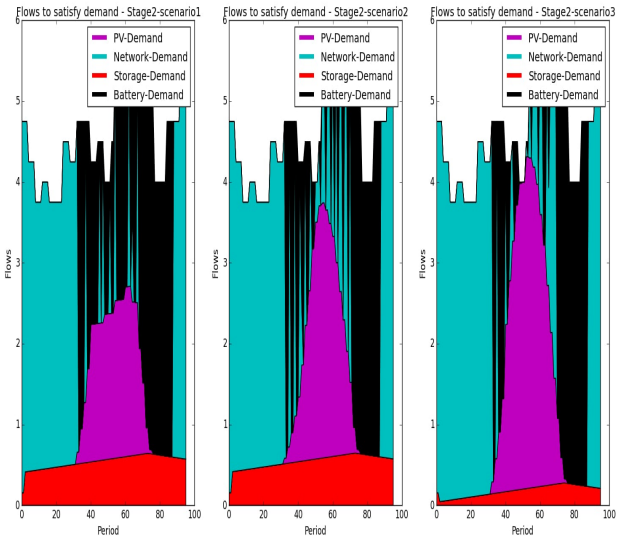
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Demand satisfaction

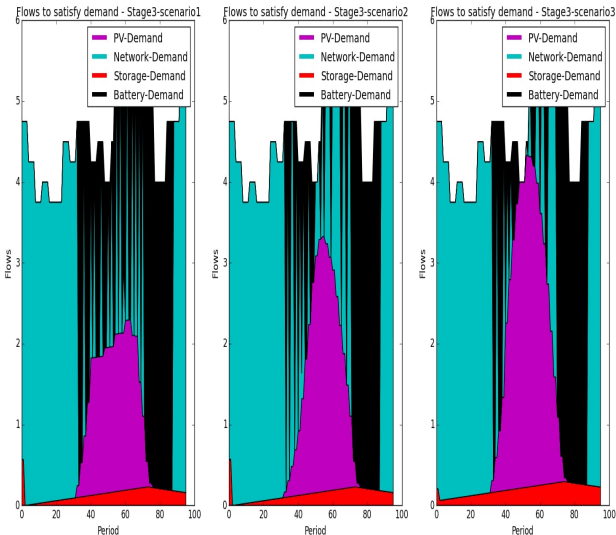




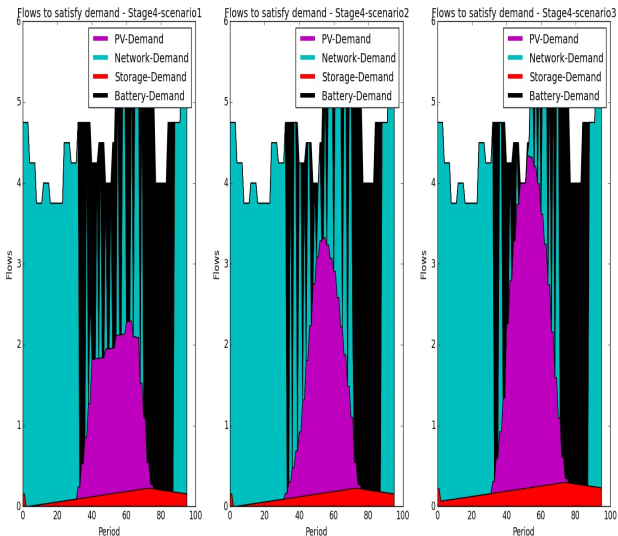
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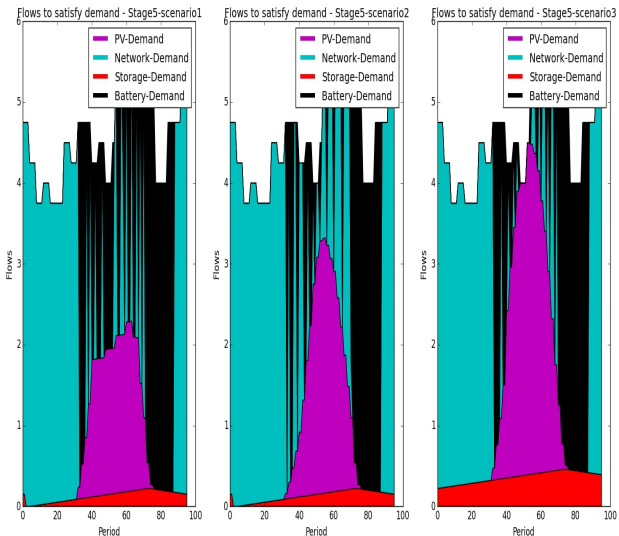
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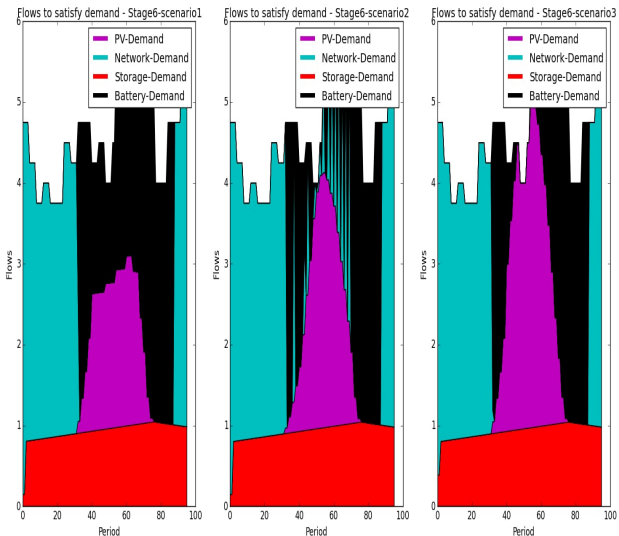
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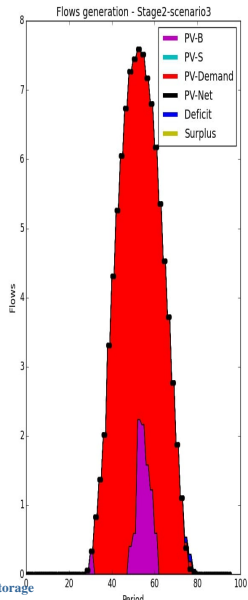
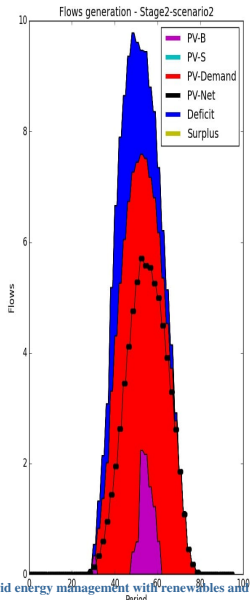
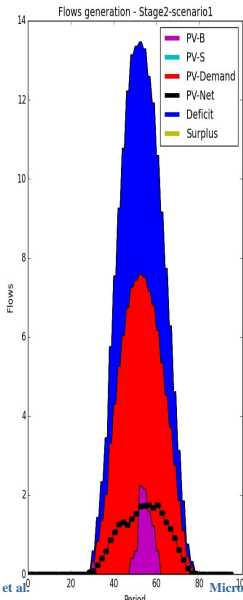
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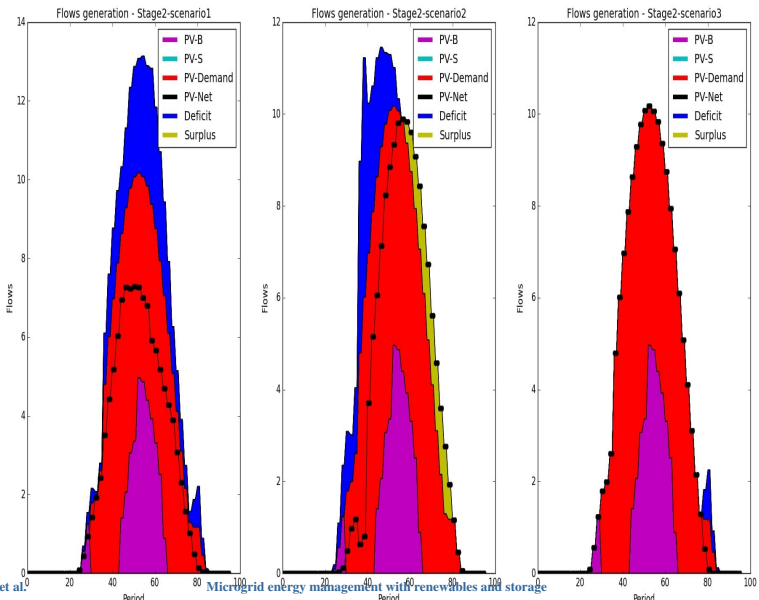
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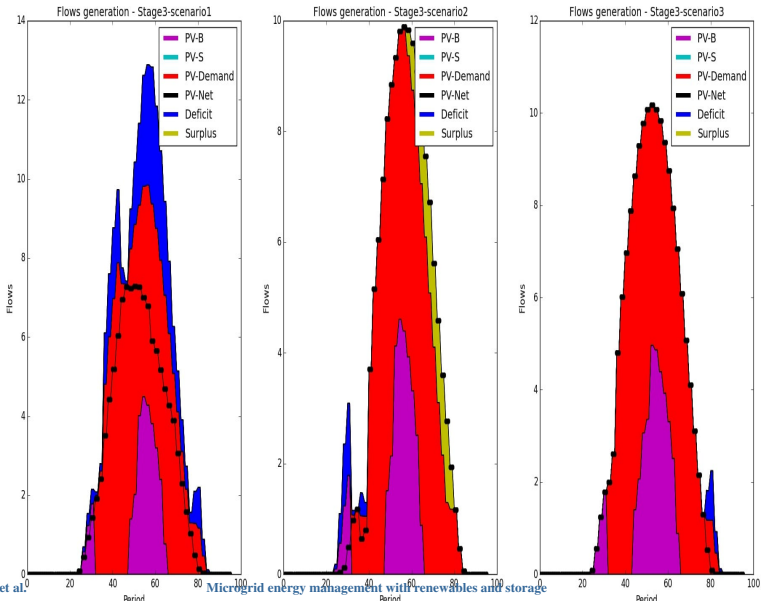
PV destination - August

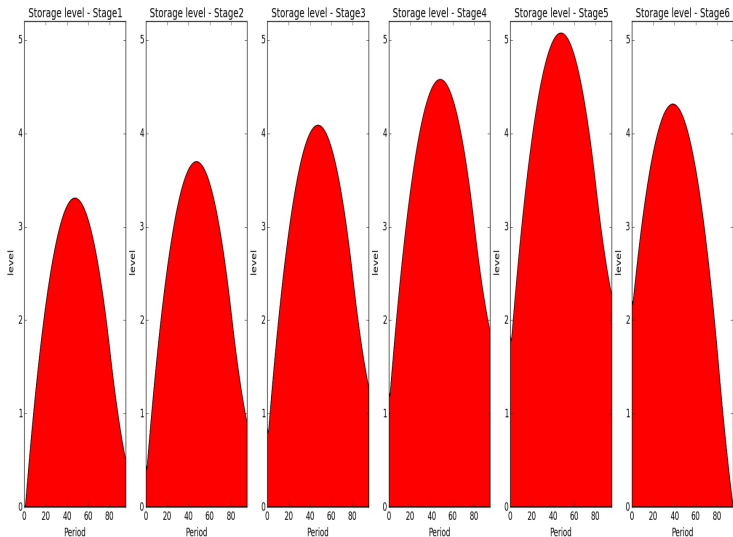


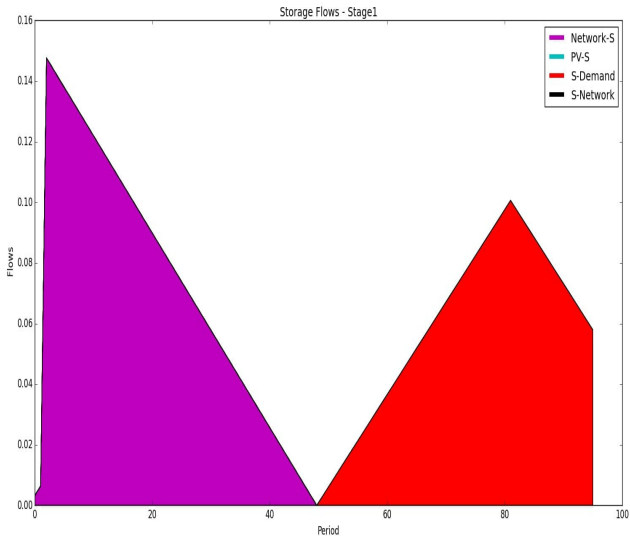
PV destination - December

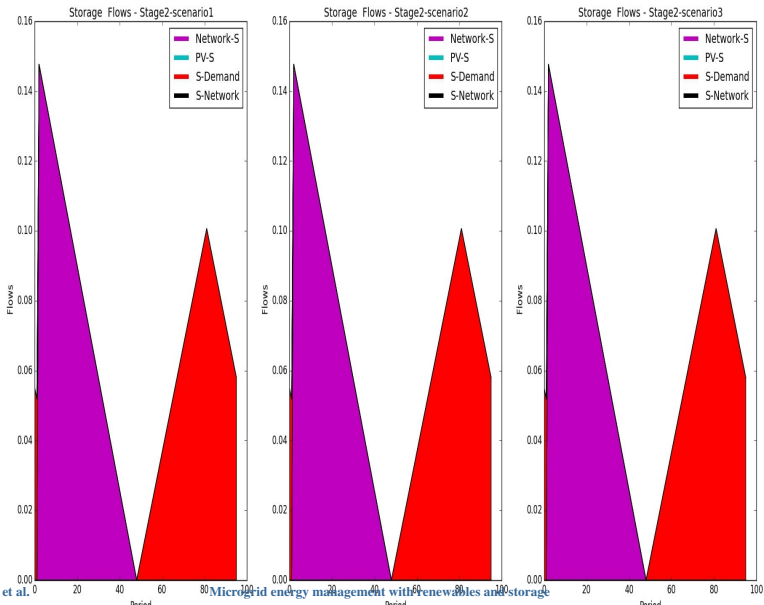


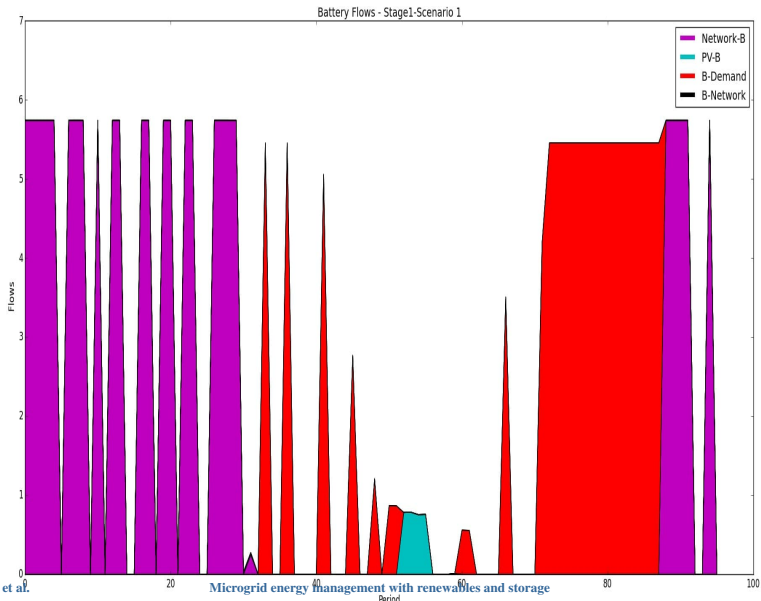
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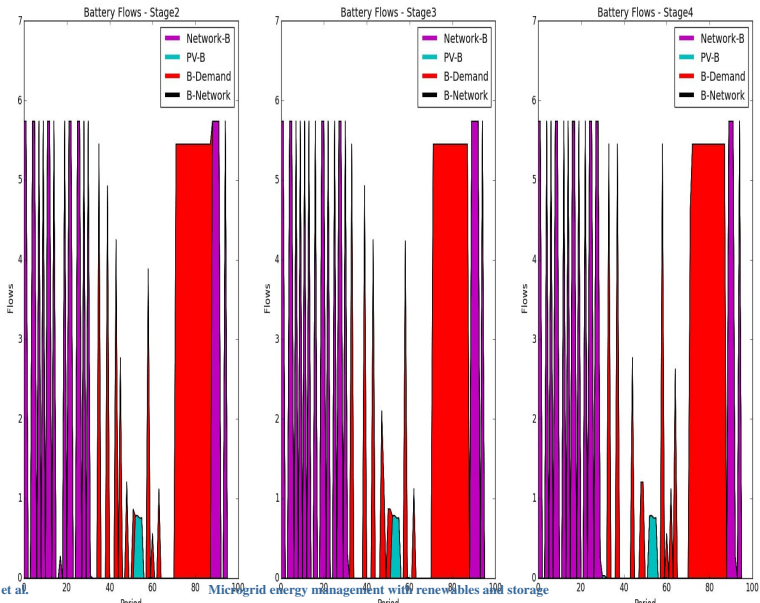


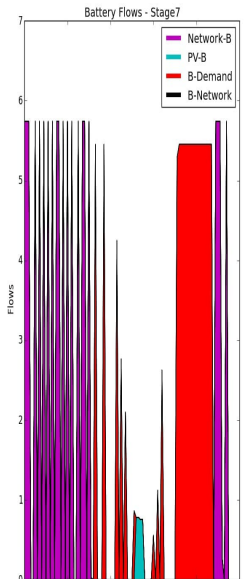
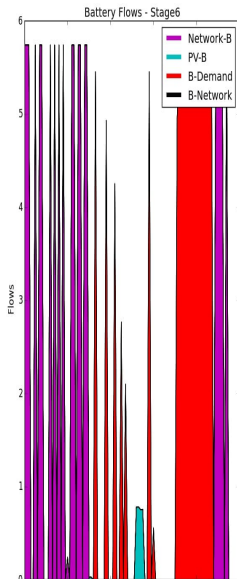
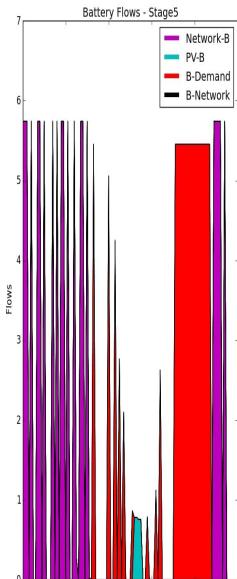
Reservoir level $S = 0$ 

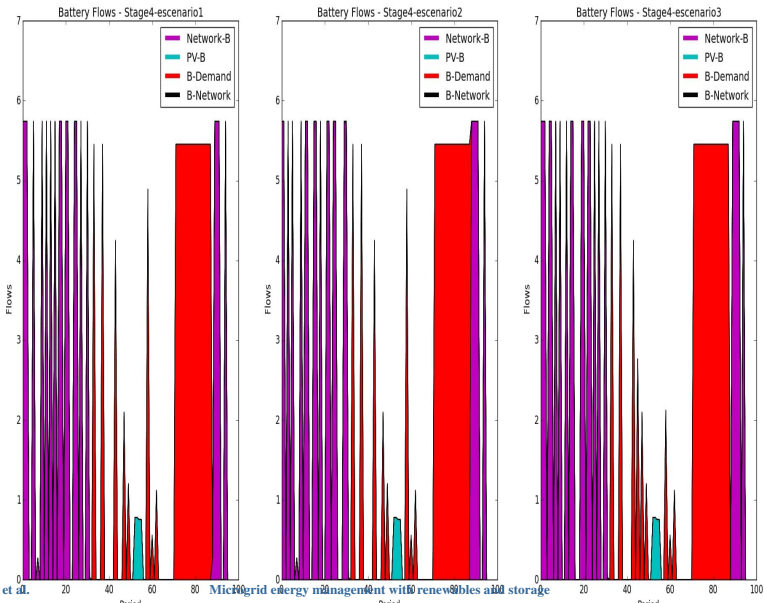
Storage flows ($S_0 = 0$)

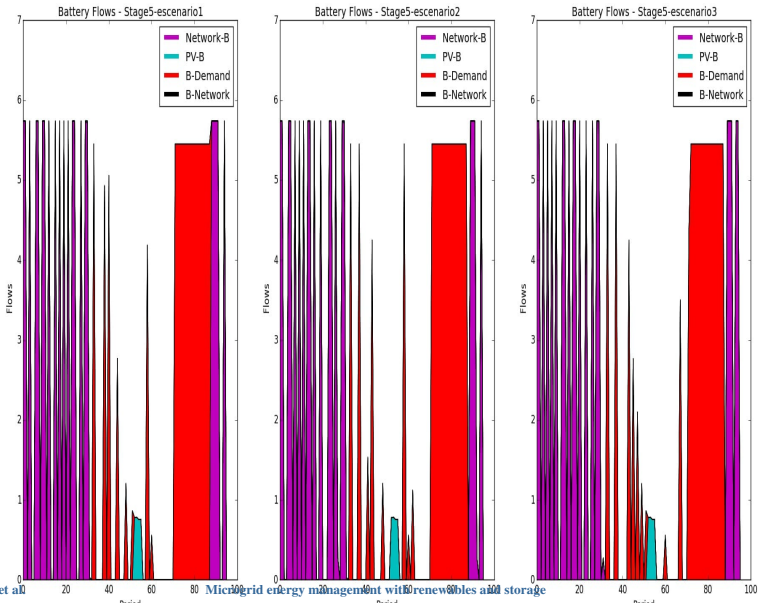
Storage flows ($S_0 = 0$)

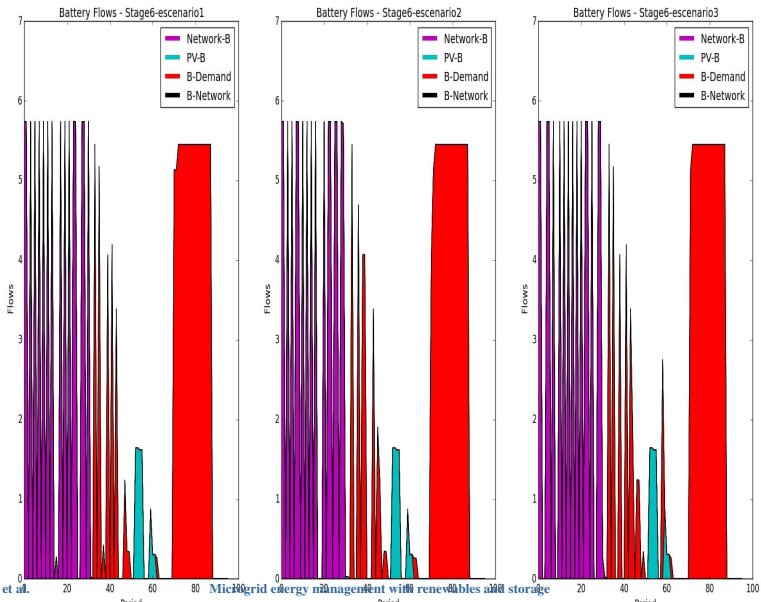
Battery flows ($B_0 = 0$)

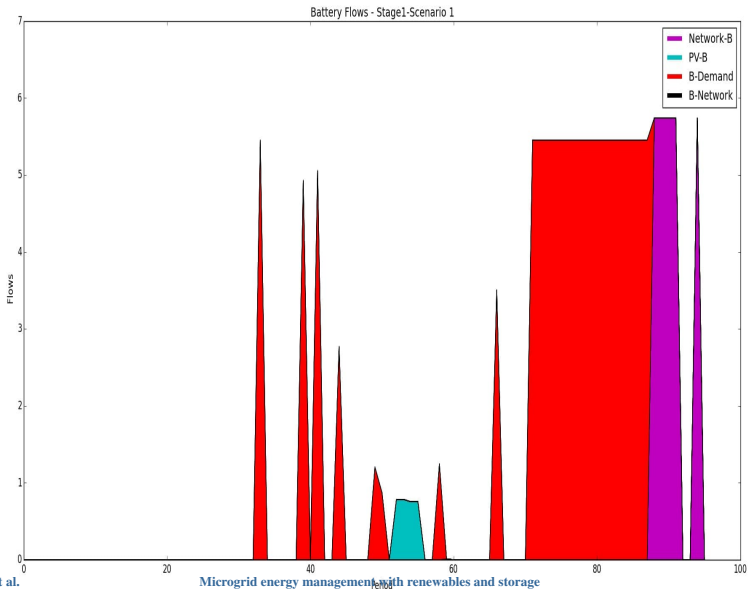
Battery flows ($B_0 = 0$)

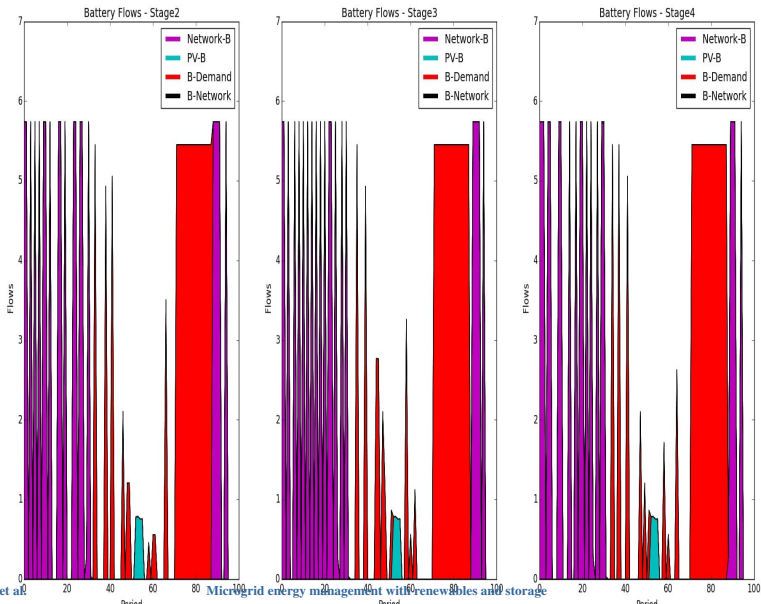
Battery flows ($B_0 = 0$)

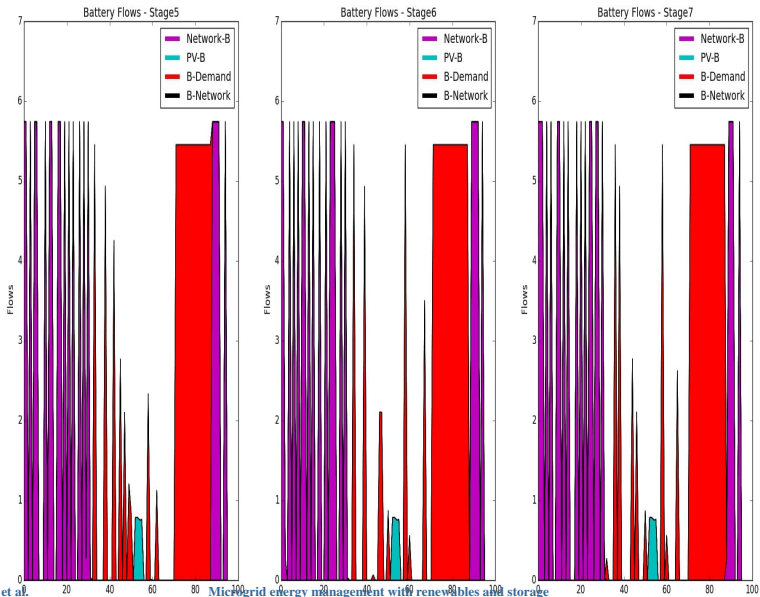
Battery flows ($B_0 = 0$)

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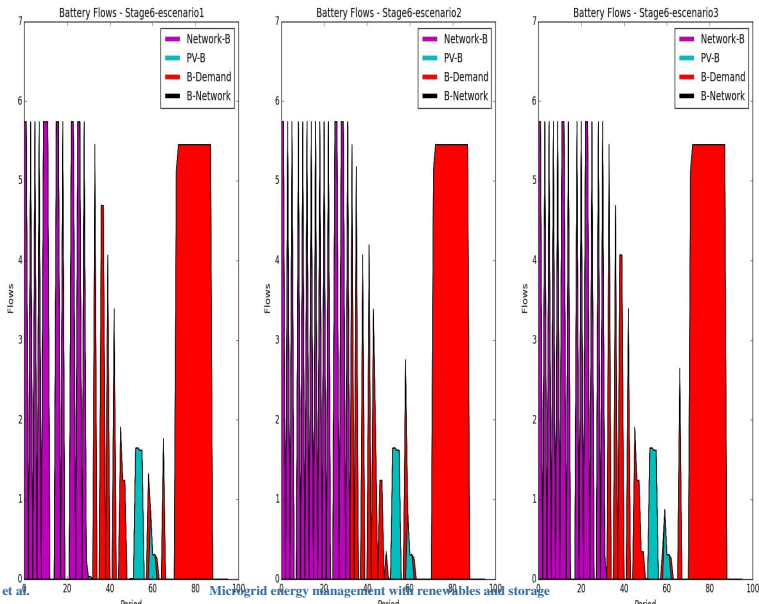
Battery flows ($B_0 = \max$)

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2 The model

3 Results

4 Conclusions and future work



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- ▶ **Implement policy evaluation via simulation (important in practice)**
- ▶ Incorporate risk into the objective function, and study the effect in the optimal policy
- ▶ Combine data with forecast to make decisions
- ▶ Derive managerial insights about the microgrid operation
- ▶ Improve the model with other elements relevant to the microgrid (e.g. wind generation, electrical vehicles, etc)



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Thanks!

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